

Higher-order elliptic filter design

High-speed, current-feedback op-amps such as the *Burr-Brown OPA603* make it possible to design active filters working in the megahertz range of frequencies.

Presented here is a quick method of calculating elliptic filters of any order, the example shown being a fifth-order type which is considered as being in two sections, as shown in Fig. 1.

Assume the poles $s = \alpha + j\beta$ and zeros Ω are given for a filter having the reflection factor of ρ and modulus α_0 .

Design can proceed in three steps. Assume $\rho = 20\%$ and $\alpha_0 = 20^\circ$:

$$\begin{aligned} \Omega_2 &= 3.0653 & s_{1,2} &= 0.382271 \pm j0.67123 \\ \Omega_4 &= 4.8753 & s_3 &= \gamma = 0.49308 \\ & & s_{4,5} &= 0.13647 \pm j1.05129. \end{aligned}$$

1. If you calculate the constants A_1 and A_2 using the expressions,

$$A_1 = 2\alpha A_2 \text{ and } A_2 = 1/(\alpha^2 + \beta^2), \text{ then for a third-order filter,}$$

$$A_2 = 1.6759379 \text{ and } A_1 = 1.2813249$$

and for a second-order filter,

$$A_2 = 0.88918 \text{ and } A_1 = 0.242865.$$

2. Calculate normalised capacitances using the expressions in Fig. 1.

3rd-order

$$\begin{aligned} c &= 1/\Omega_2 = 0.326232 \\ c_1 &= 2.40551 \\ c_2 &= 2.02807 \\ k &= 0.134956 \end{aligned}$$

and for a second-order filter,

$$\begin{aligned} c' &= 1/\Omega_4 = 0.205116 \\ c'_1 &= 2.06648 \\ k' &= 0.087087. \end{aligned}$$

3. For physical capacitance values, multiply the above c values by a factor of $1/2\pi f_0 R$, where f_0 is the cut-off frequency and R the reference resistance. In the case shown here, $f_0 = 1\text{MHz}$ and $R = 200\Omega$.

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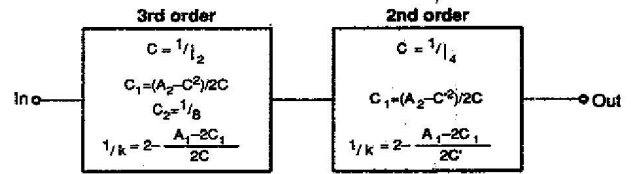


Fig. 1. Decomposition into third and second-order sections and formulas.

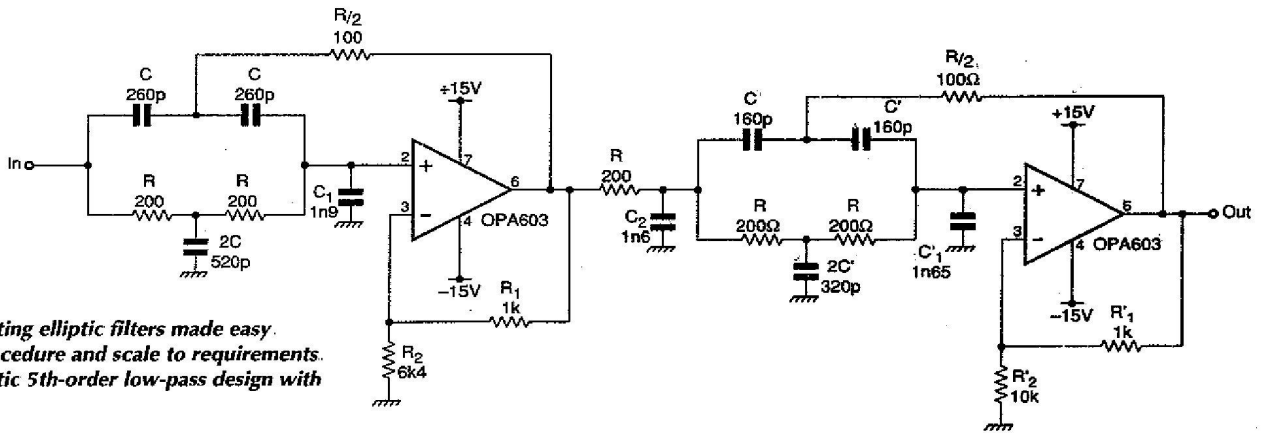
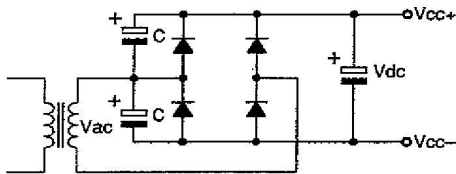
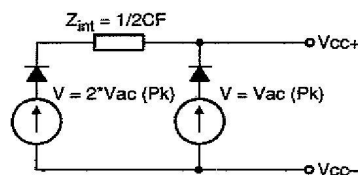


Fig. 2. Calculating elliptic filters made easy. Follow the procedure and scale to requirements. This is an elliptic 5th-order low-pass design with 1MHz cut-off.



Bridge rectifier turns into a voltage doubler at low currents, its output falling linearly with increasing current.



Current-dependent rectifier or doubler

This bridge rectifier becomes a voltage doubler at low currents, reverting to normality when current drain increases.

It is essentially a bridge rectifier with the extra capacitors C . When no current is taken, output voltage is twice that at the input and, as current increases, internal impedance causes the output to fall linearly according to $Z_{int} = 1/(2Cf)$, assuming ideal components, until the output voltage equals the peak ac, when the circuit becomes an

ordinary bridge rectifier.

An application is as a rectifier for lead-acid battery charging, in which a high voltage (25-30V) is needed to drive a small current into a 12V battery that has been discharged for a period and has an isolating layer on the electrodes. As current increases, a lower output from the rectifier reduces dissipation in the charger's output transistor.

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